



Introduction

- In 2022, FDA initiated **Project Optimus** “to reform the dose optimization and dose selection paradigm in oncology drug development.”
- Paradigm shifting from **maximum tolerated dose (MTD)** to **optimal biological dose (OBD)**.

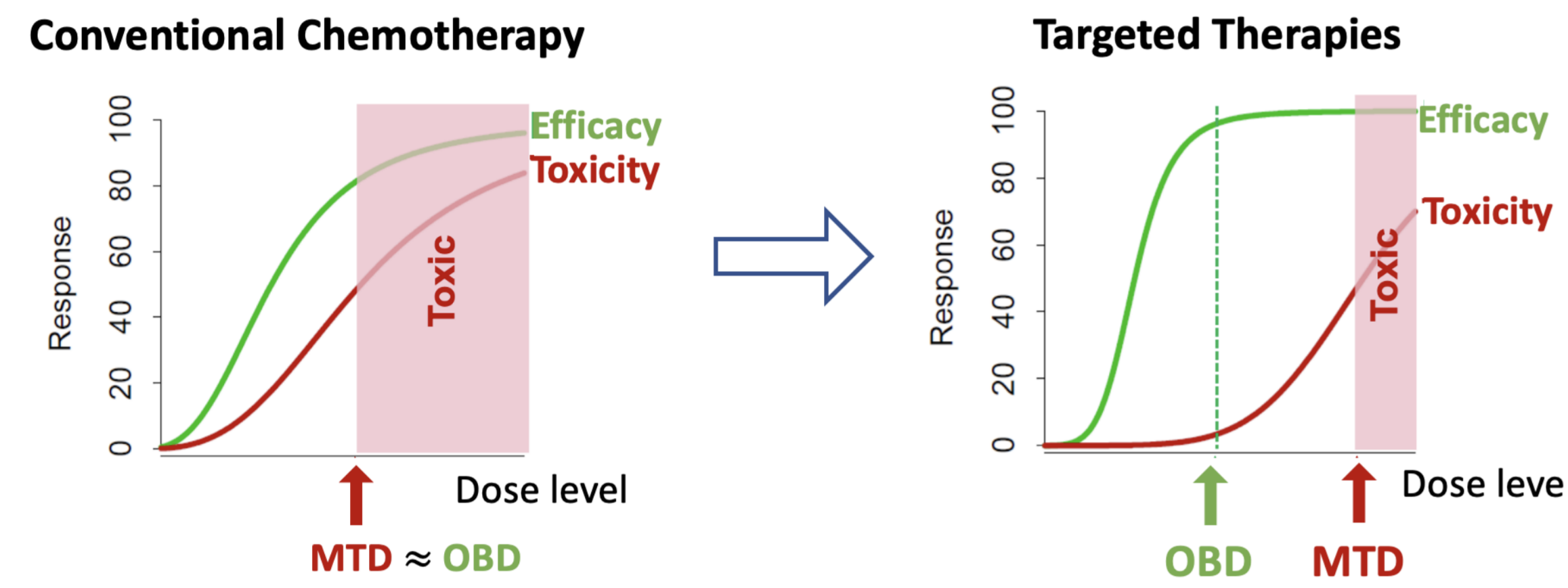


Figure 1. Paradigm shifting for dose optimization.

- MTD-based dose finding was often appropriate to inform RP2D;
- Safety alone is not sufficient to inform optimal RP2D.

Design a trial to compare multiple dosages (FDA, 2023)

⇒ two-stage decision-making paradigm

1. Determination of OBD admissible dose set

- The objective is to identify a dose set (i.e., OBD admissible set \mathcal{A}) that satisfies certain **safety** and **efficacy** requirements in a statistical manner (e.g. type I error and power).

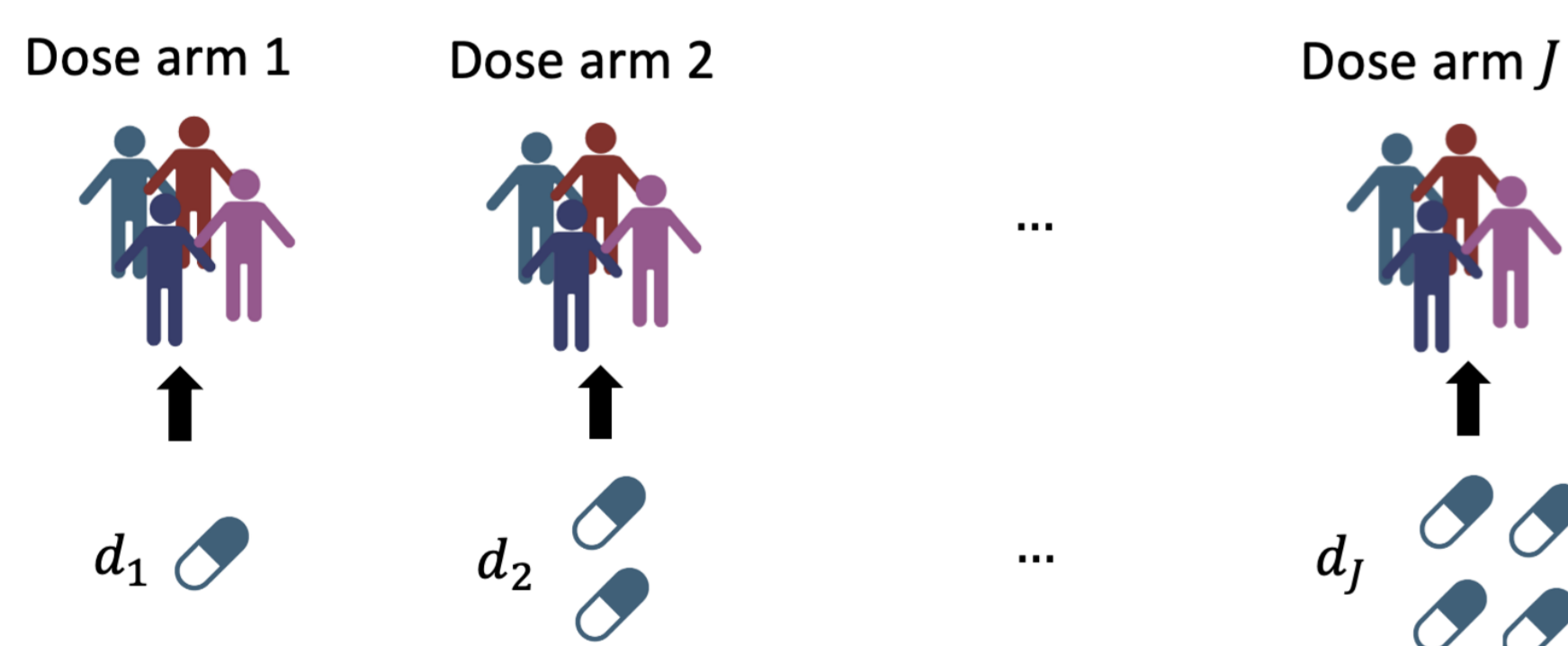
2. Identification of the OBD

- The OBD will be selected from \mathcal{A} based on the totality of activity, safety, and tolerability data empirically.

Statistical Modelling

Consider a multiple-dose randomized trial, where a total of $J \times n$ patients are equally randomized to J doses, $d_1 < d_2 < \dots < d_J$.

- In most application, $J = 2$ or 3 , and d_J is often the MTD or maximum administered dose.



- Let Y_T and Y_E denote the binary toxicity and efficacy endpoints, respectively.
- Let $\pi_{T,j} = \Pr(Y_T = 1|d_j)$ and $\pi_{E,j} = \Pr(Y_E = 1|d_j)$ denotes the probability of the occurrence of toxicity and efficacy events.

- For toxicity endpoint, we assume
 - $\phi_{T,0}$: the **null** toxicity rate that is **high** and deemed **unacceptable**;
 - $\phi_{T,1}$: the **alternative** toxicity rate that is **low** and deemed **acceptable**;
- For efficacy endpoint, we assume
 - $\phi_{E,0}$: the **null** efficacy rate that is **low** and deemed **unacceptable**;
 - $\phi_{E,1}$: the **alternative** efficacy rate that is **high** and deemed **acceptable**.

		OBD admissible	
		$\pi_{T,j}$	$\pi_{E,j}$
$\pi_{E,j}$	$\phi_{T,0}$	⊗	⊗
	$\phi_{T,1}$	⊗	⊙
$\phi_{E,0}$	⊗	⊗	⊗
	⊙	⊗	⊙

Global Type I Error

Consider H_0 : none of the doses is the OBD.

- Challenge**: consists of multiple hypotheses ($\sum_{j=1}^{J+1} j$).

$$H_0(s, k) : \underbrace{\pi_{T,1} = \pi_{T,2} = \dots = \pi_{T,s} = \phi_{T,1}}_{\text{acceptable toxicity}} < \underbrace{\pi_{T,s+1} = \dots = \pi_{T,k} = \pi_{T,k+1} = \dots = \pi_{T,J} = \phi_{T,0}}_{\text{unacceptable toxicity}}; \\ \underbrace{\pi_{E,1} = \pi_{E,2} = \dots = \pi_{E,s} = \pi_{E,s+1} = \dots = \pi_{E,k} = \phi_{E,0}}_{\text{unacceptable efficacy}} < \underbrace{\pi_{E,k+1} = \dots = \pi_{E,J} = \phi_{E,1}}_{\text{acceptable efficacy}}$$

where $s, k \in \{0, 1, \dots, J\}$ and $s \leq k$.

		d_1	d_2		d_1	d_2
$H_0(0,0)$	Tox	$\phi_{T,0}$	$\phi_{T,0}$	$H_0(0,0)$	Tox	$\phi_{T,1}$
	Eff	$\phi_{E,1}$	$\phi_{E,1}$		Eff	$\phi_{E,0}$
$H_0(0,1)$	Tox	$\phi_{T,0}$	$\phi_{T,0}$	$H_0(0,1)$	Tox	$\phi_{T,1}$
	Eff	$\phi_{E,0}$	$\phi_{E,1}$		Eff	$\phi_{E,0}$
$H_0(0,2)$	Tox	$\phi_{T,0}$	$\phi_{T,0}$	$H_0(0,2)$	Tox	$\phi_{T,1}$
	Eff	$\phi_{E,0}$	$\phi_{E,0}$		Eff	$\phi_{E,0}$

Define **global type I error** that encompasses all $H_0(s, k)$ as follows:

$$\alpha = \Pr(\text{reject } H_0 | H_0) = \max_{0 \leq s \leq J, s \leq k \leq J} \{\alpha(s, k)\}, \quad (1)$$

where $\alpha(s, k) = \Pr(\text{Reject } H_0(s, k) | H_0(s, k))$.

Global Generalized Powers

Consider H_1 : at least one dose is the OBD admissible.

- Challenge**: consists of multiple hypotheses ($\sum_{j=1}^J j$).

$$H_1(u, v) : \underbrace{\pi_{T,1} = \pi_{T,2} = \dots = \pi_{T,u} = \pi_{T,u+1} = \dots = \pi_{T,v} = \phi_{T,1}}_{\text{acceptable toxicity}} < \underbrace{\pi_{T,v+1} = \dots = \pi_{T,J} = \phi_{T,0}}_{\text{unacceptable toxicity}}; \\ \underbrace{\pi_{E,1} = \pi_{E,2} = \dots = \pi_{E,u} = \phi_{E,0}}_{\text{unacceptable efficacy}} < \underbrace{\pi_{E,u+1} = \dots = \pi_{E,v} = \pi_{E,v+1} = \dots = \pi_{E,J} = \phi_{E,1}}_{\text{acceptable efficacy}}$$

where $u, v \in \{0, 1, \dots, J\}$ and $u < v$.

		d_1	d_2		d_1	d_2
$H_1(0,1)$	Tox	$\phi_{T,1}$	$\phi_{T,0}$	$H_1(0,1)$	Tox	$\phi_{T,1}$
	Eff	$\phi_{E,1}$	$\phi_{E,1}$		Eff	$\phi_{E,1}$
$H_1(0,2)$	Tox	$\phi_{T,1}$	$\phi_{T,1}$	$H_1(0,2)$	Tox	$\phi_{T,1}$
	Eff	$\phi_{E,1}$	$\phi_{E,1}$		Eff	$\phi_{E,1}$
$H_1(1,2)$	Tox	$\phi_{T,1}$	$\phi_{T,1}$	$H_1(1,2)$	Tox	$\phi_{T,1}$
	Eff	$\phi_{E,0}$	$\phi_{E,1}$		Eff	$\phi_{E,1}$

- Additional challenge**: the standard definition of power, which rejects the H_0 , is not sufficient to account for the characteristics of dose optimization.
- Generalized power I**:

$$\beta_1(u, v) = \Pr(\text{reject } H_0 \text{ and all doses in } \mathcal{A} \text{ are truly safe and efficacious} | H_1(u, v))$$
- Generalized power II**:

$$\beta_2(u, v) = \Pr(\text{reject } H_0 \text{ and at least one dose in } \mathcal{A} \text{ is truly safe and efficacious} | H_1(u, v))$$

Define **global power I and power II** that encompasses all $H_1(u, v)$ as follows:

$$\beta_i = \min_{u, v \in \{0, \dots, J\}, u < v} \beta_i(u, v), \quad \text{for } i = 1, 2. \quad (2)$$

- Both generalized powers are stricter than the standard power.
- The choice of power depends on the characteristics of the trial and the user's tolerability of false positives.
- Power II is a good option when reducing the sample size is of top priority.

Least Favorable Set

Theorem 1: Define the **least favorable set** $\tilde{H}_1 = \{H_1(j), j = 1, \dots, J\}$, where

$$H_1(j) = \left(\underbrace{\pi_{T,1} = \dots = \pi_{T,j-1} = \phi_{T,1}}_{\text{safe but futile}}, \underbrace{\pi_{T,j} = \phi_{T,1}}_{\text{safe and efficacious}}, \underbrace{\pi_{T,j+1} = \dots = \pi_{T,J} = \phi_{T,0}}_{\text{toxic and efficacious}} \right).$$

For any $H_1(u, v)$, with $u, v \in \{0, 1, 2, \dots, J\}$ and $u < v$, there exists an $H_1(j)$ such that $\beta_i(j) \leq \beta_i(u, v)$, $i = 1, 2$, where $\beta_1(j)$ and $\beta_2(j)$ denote the generalized power I and II under $H_1(j)$, respectively. The global power in (2) can be equivalently defined as

$$\beta_i = \min_{j \in \{1, \dots, J\}} \beta_i(j) \quad \text{for } i = 1, 2. \quad (3)$$

MERIT (Multiple-dose Randomized Phase-II Trial) Design

- Specify target global type I error and power α^* and β^* ;
- Randomize $J \times n$ patients equally to J doses;
- In any dose arm d_j , if $n_{E,j} \geq m_E$ and $n_{T,j} \leq m_T$, we reject H_0 and claim that d_j is OBD admissible, where m_E and m_T are decision boundaries for efficacy and toxicity, respectively.
- * $n_{E,j}$ and $n_{T,j}$ are the total number of patients who experience efficacy and toxicity events in dose arm d_j .

Optimal Design Parameters

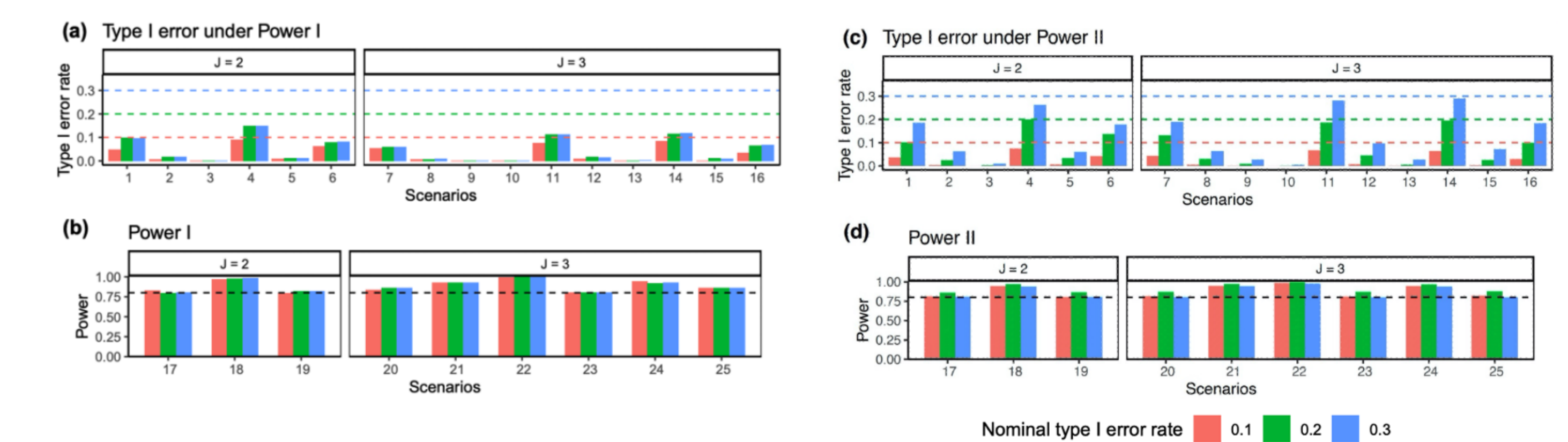
The **optimal design parameters** (n, m_T, m_E) are determined to **minimize sample size n** through numerical search such that the design controls the global type I error (1) and power (3) at nominal values α^* and β^* .

- Optimal design parameters** (n, m_T, m_E) of MERIT design, when $J = 2$, $(\phi_{T,0}, \phi_{T,1}) = (0.4, 0.2)$, and $(\phi_{E,0}, \phi_{E,1}) = (0.2, 0.4)$.

β^*	β_1						β_2					
	$\alpha^* = 0.1$		$\alpha^* = 0.2$		$\alpha^* = 0.1$		$\alpha^* = 0.1$		$\alpha^* = 0.2$		$\alpha^* = 0.2$	
	n	m_T	m_E	n	m_T	m_E	n	m_T	m_E	n	m_T	m_E
0.6	26	7	6	23	6	26	25	6	5	18	5	4
0.7	33	9	7	30	8	33	33	8	6	24	7	5
0.8	44	12	8	39	11	44	39	11	8	30	8	5

Operating Characteristics

Type I error and power of MERIT design when $(\phi_{T,0}, \phi_{T,1}) = (0.4, 0.2)$ and $(\phi_{E,0}, \phi_{E,1}) = (0.2, 0.4)$.



References

- U.S. Food And Drug Administration. (2022). *Project Optimus: Reforming the dose optimization and dose selection paradigm in oncology*. Silver Spring, MD: Food and Drug Administration.
- U.S. Food And Drug Administration. (2023). *Optimizing the Dosage of Human Prescription Drugs and Biological Products for the Treatment of Oncologic Diseases*. Rockville, MD: Food and Drug Administration.
- Yang, P., Li, D., Lin, R., Huang, B., Yuan, Y. (2023). *Design and Sample Size Determination for Multiple-dose Randomized Phase II Trials for Dose Optimization*. <https://doi.org/10.48550/arXiv.2302.09612>.